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How I Built Software to Kill People

A cautionary tale by @calebthompson

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<https://www.calebthompson.io/talks/dont-get-distracted>